

Fast Leaf-to-Root Holistic Twig Query on XML Spatiotemporal Data

Luyi Bai, Yin Li, Jiemin Liu*

College of Information Science and Engineering, Northeastern University, Shenyang 110819, China.

*Corresponding author. Tel.: +8618903340011; email: liujm@neuq.edu.cna

Manuscript submitted March 20, 2016; accepted July 17, 2016.

doi: 10.17706/jcp.12.6.534-542

Abstract: With the increasing applications based on location, the researches on spatiotemporal data, especially queries of spatiotemporal data have attracted a lot of attention. XML, as a standard language of information exchanging over the Web, should have the ability to query spatiotemporal data. In this paper, we propose an algorithm, TwigSPFast, for matching a spatiotemporal XML query twig pattern. We represent spatiotemporal data by adding spatial and temporal attributes in common data and extend Dewey code to mark spatiotemporal data for special process and determine structure relationship of spatiotemporal nodes. Our technique uses streams to store leaf nodes in XML corresponding to leaf query node and filters the streams to delete unmatched nodes, after filtering, we build output list for every matched leaf node that matches the query path from leaf node to root. It can be proved that TwigSPFast is optimal in time complexity and space complexity.

Keywords: Spatiotemporal data, query, Dewey code, XML twig pattern.

1. Introduction

With the prompt development of positioning system, a considerable amount of spatiotemporal applications [1]-[3] merged, e.g. environment management, land management, and geographic information system. Spatiotemporal data is characterized by both spatial [4], [5] and temporal [6], [7] semantics. Development and research in this area started decades ago, when management and manipulation of data, relating to both spatial and temporal changes, was recognized as an indispensable assignment. In the development of spatiotemporal data, several spatiotemporal data models have been proposed [8]-[10], e.g. the snapshot model, the space-time composite data model, object-relationship model, and spatiotemporal object-oriented data model. With the development of spatiotemporal data, people begin to study the management of spatiotemporal XML data whose query operation is a key part including query, index, retrieval and topological relations [10]-[13].

Currently, a large number of theories have been proposed for XML queries [14]-[18], such as global matching theory, two element structure connection theory, and approximate query processing theory. Also some researchers concentrate on querying temporal data in XML [19], [20], but the research about spatiotemporal querying is little [21]. The process of querying is based on a good data model that can present spatial and temporal attributes of spatiotemporal data. Bai *et al.* [11] proposed a data model which use a 5-tuple to represent spatiotemporal data. It added information of position, motion, and time in the traditional XML data to describe the spatiotemporal attributes. An important work for querying is to

determine the structure of nodes in XML. To solve this problem, lots of code scheme have been proposed [14], [22], [23]. The algorithms proposed in [14], [22] need to read and filter lots of data and push data down to stack continually what waste lots of time and space. Extended Dewey code [15] is a kind of prefix code that not only can determine structure relationship of nodes in XML but also can get ancestor nodes according the Dewey code of node. The work of querying spatiotemporal data in XML is very arduous and it leave lots of interspace for us to research.

In this paper, we use a 3-tuple ($ATTR$, PS , TM) to represent spatiotemporal data without changing tree structure of XML document. We use minimum bounding rectangle to depict the position attribute, which can represent point, line, region in space well. The time attribute is represented by a time period consist of two points. We also extended Dewey coding by adding an integer at the start of code to mark spatiotemporal node for special process. In the process of querying, we associate every leaf query node with a stream to store matched leaf nodes in XML and filter the leaf nodes in stream to delete nodes unmatched, after that, we sort the leaf query nodes to determine the sequence of processing. In the phase of getting desired results, we call the algorithm buildList to build output list from leaf node to root that matches query path.

The rest of paper is organized as follows. Section 2 discusses preliminaries and related work. Section 3 focuses on spatiotemporal XML twig pattern matching algorithm called TwigSPFast and then presents the analysis of the correctness and complexity of time and space. Section 4 concludes this paper.

2. Preliminaries

2.1. Twig Pattern Matching

Definition 1 (twig query matching)

Given a twig query $Q = (V_Q, E_Q)$ and a XML database $D = (V_D, E_D)$, the process of matching Q in D is a mapping from query node Q to element node D , the mapping $h: \{u: u \in Q\} \rightarrow \{x: x \in D\}$ must satisfy the following condition:

- (i) Query node predicates are satisfied by the corresponding database nodes, and they have the same tag name.
- (ii) The structure relationships between query nodes are satisfied by the corresponding database nodes.

2.2. Semantic Foundations of Spatiotemporal Data

Spatiotemporal data have a set of characteristics that make them distinctly different from the more familiar lists and tables of alphanumeric data used in traditional business applications, the data model is restricted to tree structure in XML document especially. In [11], Bai *et al.* measures fuzzy spatiotemporal XML data by five dimensions: OID , $ATTR$, FP , FT and FM . In the case of spatiotemporal data, we measure it by three dimensions according to characteristics of spatiotemporal data on the basis of those five dimensions. The dimensions of spatiotemporal data are shown as follows:

$ATTR$: It is used to describe static properties of spatiotemporal data (e.g., land owner's name, area, population, etc.). There may be one or more attributes in a spatiotemporal data which dimension heavily depends on the application domain.

PT : It describes the spatial attributes of spatiotemporal data, which contains point, line and region.

TM : It describes the temporal attribute of spatiotemporal data, which contains time point and time interval.

2.3. Extended Dewey Code

Dewey code is a kind of prefix encoding, it can only determine the structure relationship between nodes, when it comes to get node's name from root to a certain node, the Dewey code need extending that is

proposed in [4].

There is a label t in XML, $CT(t) = \{t_0, t_1, \dots, t_{n-1}\}$ is used to express all child nodes of t got from DTD structure information of XML document. For every element e_i tagged t_i , it can be given a integer x_i satisfied $x_i \bmod n = i$. Extended Dewey code can be computed by depth first traversal and code of every XML node is expressed by integer vector. We use label (u) to express the code of node u , if label $(u) = \text{label}(s).x$, then s is the parent node of u , the value of x can be computed as follows:

If u is a text node, then $x = -1$

Else, suppose u is the k th ($k = 0, 1, 2, \dots, n-1$) tag of node t_s , then

(2.1) if u is the leftmost child, then $x = k$;

(2.2) else, suppose the code of u 's left child node is $\text{label}(s).y$, if $(y \bmod n) < k$, then

$x = \lfloor (y/n) \rfloor \times n + k$; else $x = \lceil (y/n) \rceil \times n + k$. n is number of t_s 's child nodes.

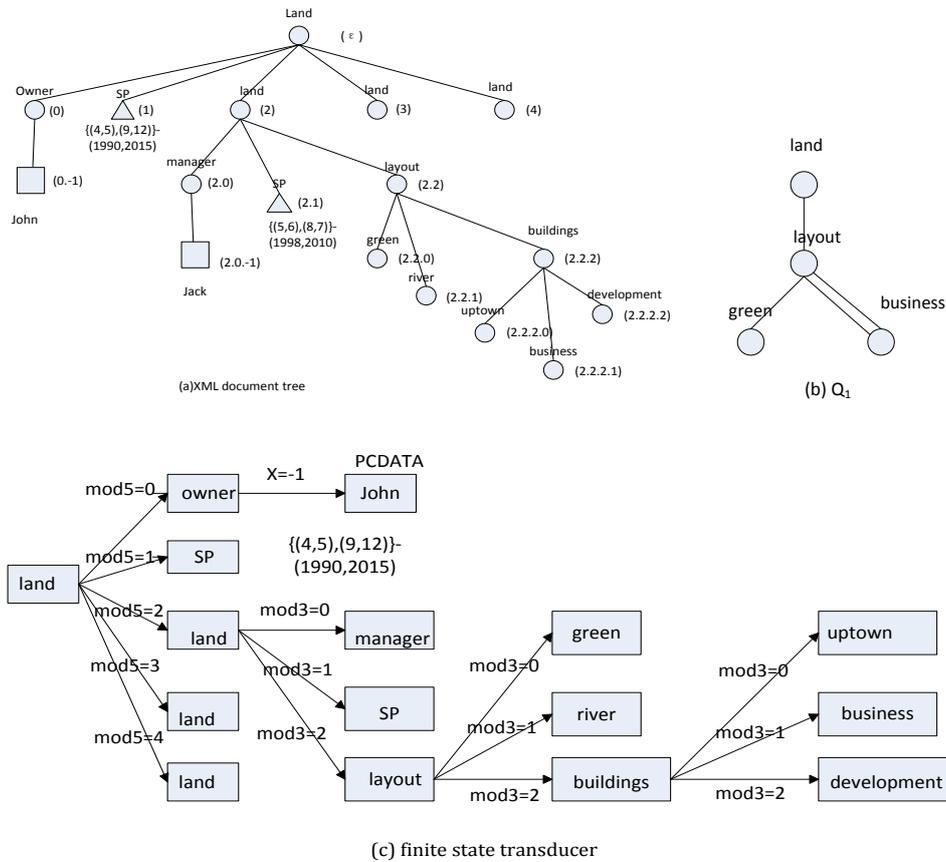


Fig. 1. Examples of extended Dewey code.

We can translate the code into sequence of element's name from root to a certain node by a finite state transducer (*FST*) after giving extended Dewey code of one node. *FST* is expressed by a 5-tuple (I, S, i, δ, τ) : (i) $I = Z \cup \{-1\}$, Z is nonnegative integer set; (ii) $S = \Sigma \cup \{\text{PCDATA}\}$, PCDATA expresses the state of text; (iii) initial state of i is element's name of root in XML document; (iv) the function of state translating is defined as follows: for $\forall t \in \Sigma$, if $x = -1$, then $\delta(t, x) = \text{PCDATA}$; else $\delta(t, x) = t_k, k = x \bmod n$; (v) τ depicts name of current state. The example of extended Dewey code and *FST* is showed in Fig. 1.

3. Holistic Twig Query on Spatiotemporal Data

The process of querying is based on a good data model, to depict spatiotemporal attributes well, we simplify the data model proposed in [1] to represent spatiotemporal data with minimum bounding rectangle by adding spatial and temporal attributes in general data.

3.1. Process Spatiotemporal Node in XML Tree

The spatial and temporal attribute of spatiotemporal data makes it distinctly different from common data, the same process of common node is not available when it comes to spatiotemporal node. As for spatiotemporal node, we need to mark and process it specially. The extended Dewey introduced in section 2 is not available for spatiotemporal data, we need to do some improvement: we add an integer that value 0 or 1 at the start of the code sequence, 0 represents that the node is a common node and 1 represents the node is a spatiotemporal node. For spatiotemporal node e in XML tree and node q in query tree, it can be determined whether e satisfy the condition of q by comparing the minimum bounding rectangle, the matching node must satisfy the condition that is showed as follows:

- (i) $q.x_0 < e.x_0 < e.x_1 < q.x_1$
- (ii) $q.y_0 < e.y_0 < e.y_1 < q.y_1$
- (iii) $q.t_0 < e.t_0 < e.t_1 < q.t_1$

The XML tree that is improved based on Fig. 1 is showed as Fig. 2. The first integer of node *owner* (0.0) is 0, it depicts the node *owner* is a common node. conversely, the first integer of node *SP* (1.2.1) is 1, it depicts the node *SP* is a spatiotemporal node.

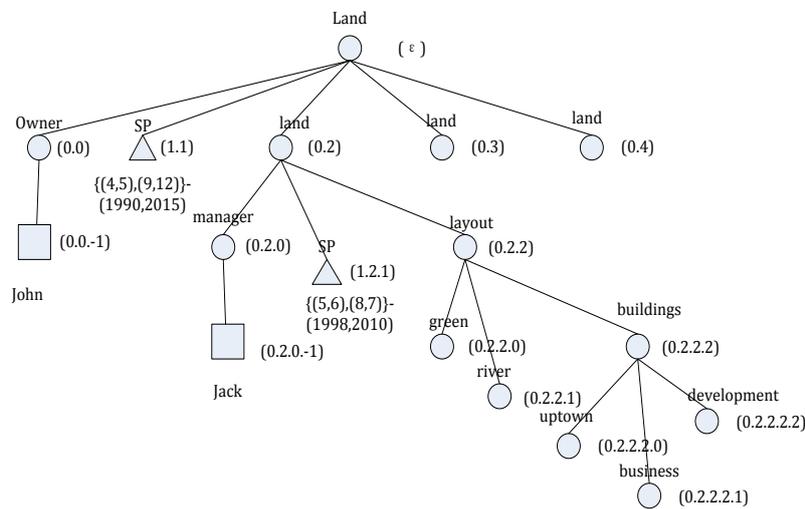


Fig. 2. XML document tree marked spatiotemporal node.

3.2. Notations

Let Q denote twig query pattern, P_f denotes the path pattern from root of Q to node f ($f \in Q$). In algorithm TwigSPFast, we use the following twig node operations on query node q : leafNodes(q) that returns set of leaf query nodes in sub twig query pattern rooted q , isSP(q) that determines whether node q is a spatiotemporal node, parent(q) that returns parent query nodes of q and isLeafNode(q) that determines whether node q is a leaf node. Algorithm TwigSPFast associates every leaf query node f in twig query pattern with a stream named T_f and associates every query node s with a list named L_s , elements in L_s are expressed with a 2-tuple (element e , an array of pointers). The operations on T_f is: eof(T_f) that determines whether the pointer of stream T_f is end, advance(T_f) that moves the pointer of stream to the next node, delete(T_f) that removes the current element the pointer points and getElement(T_f) that returns the current element the pointer of T_f points. The operations on L_s is: addtoList(L_s , element a , pointers) that adds 2-tuple(element a , pointers) to the list L_s and addPointer(L_p , tuple_p, pointer to tuple_f) that adds a pointer of tuple_f to a pointer array of 2-tuple tuple_p in L_p .

3.3. TwigSPFast Algorithm

Algorithm TwigSPFast, which computes answers to a query path pattern on spatiotemporal data, is presented as follow. It's a holistic twig query on spatiotemporal data without changing the tree structure of XML.

Algorithm TwigSPFast

```

01: for each  $f \in \text{leafNodes}(\text{root})$ 
02:   locateMatchedLabel( $f$ )
03: SortNodeArray[] = DBLSort(TopBranchingNode)
04:  $i = 0$ 
05: while ( $\neg \text{end}(\text{root})$  and  $i < \text{SortNodeArray.length}$ )
06:    $f = \text{SortNodeArray}[i]$ 
07:   while ( $\neg \text{eof}(\mathbf{T}_f)$ )
08:     buildList( $f, \text{getElement}(\mathbf{T}_f, \text{parent}(f))$ )
09:     advance( $\mathbf{T}_f$ )
10:     $i++$ 
11: outputSolutions()

Procedure locateMatchedLabel( $f$ )
/* Assume that the path from the root to element getElement( $\mathbf{T}_f$ ) is  $\mathbf{n}_1/\mathbf{n}_2/\dots/\mathbf{n}_k$  and  $\mathbf{P}_f$ 
denotes the path pattern from the root to leaf node  $f$  */
01: while ( $\neg \text{eof}(\mathbf{T}_f)$ )
02:   if ( $\neg((\mathbf{n}_1/\mathbf{n}_2/\dots/\mathbf{n}_k \text{ matches pattern } \mathbf{P}_f) \wedge \text{fitness}(\mathbf{n}_k, f))$ )
03:     delete( $\mathbf{T}_f$ )
04:   else
05:     advance( $\mathbf{T}_f$ )
06: reset the pointer of  $\mathbf{T}_f$  to the first element of  $\mathbf{T}_f$ 

Function fitness( $e, f$ )
01: if(isSP( $f$ ))
02:   if ( $(f.x_0 < e.x_0 < e.x_1 < f.x_1) \wedge (f.y_0 < e.y_0 < e.y_1 < f.y_1) \wedge$ 
 $(f.t_0 < e.t_0 < e.t_1 < f.t_1)$ )
03:     return true
04:   else return false
05: else if( $e == f$ )
06:   return true
07: else return false

```

Algorithm TwigSPFast is a single phase algorithm, it calls the algorithm locateMatchedLabel to filter the stream T_f of leaf node f (line 1-2). Also the algorithm locateMatchedLabel delete the spatiotemporal node that doesn't match the query condition and filter the element that doesn't match path pattern P_f . The algorithm call DBL(*TopBranchingNode*) to get array of sorted leaf node of *TopBranchingNode*(line 3). Line 6 get the processed leaf query node f and establish output list for element in T_f at line 7-9.

DBL sort is very important, it determines the process order of leaf query node. $DBL(n)$ returns all branch nodes b and leaf nodes f of sub twig query tree rooted n , b and f must satisfy: there is no other branch nodes in the path from root n to b and there is no other branch nodes in the path from root n to f . There are a twig query Q and a XML database D , suppose query node $n \in Q$, we associate each node n with a variable

nodeCount to count the amount of XML nodes matching *n*. If *n* is a leaf node, *nodeCount* is the amount of element in T_f , else, *nodeCount* values the minimum *nodeCount* of all query nodes in $DBL(n)$. The detail of DBL sort is showed as follow:

```

Algorithm DBLSort(n)
/* At the beginning, the value nodeCount(n) for each query node n is zero */
01: if (isLeafNode(n))
02:   locateMatchedLabel(n)
03:   nodeCount[n] =  $T_n$ .length
04: s =  $L_{DBL(n)}$ 
05: for each node a in list s
06:   DBLSort(a)
07:   if (nodeCount[n] < nodeCount[a])
08:     nodeCount[n] = nodeCount[a]
09: sort(s, nodeCount[a]) // ascendantly

```

In the algorithm TwigSPFast, line 8 calls buildList algorithm to establish list of each query node. Algorithm buildList is the core part of the whole algorithm, lines 1-10 establish the list of leaf query node, line 11 establishes list of internal query node by calling algorithm buildInternalList.

```

Algorithm buildList(f, e, p)
01: if (f == SortNodeArray[0])
02:   if (tuple(e, null)  $\notin L_f$ )
03:     addtoList( $L_f$ , e, null)
04: else
// assume the index of f in SortNodeArray[] is i
05:   a = closestCommonAncestor (SortNodeArray[i], SortNodeArray[i-1])
06:   if (tuple(e, null)  $\in L_a \wedge P_a$  matches  $P_f$ )
07:     if (tuple(e, null)  $\notin L_f$ )
08:       addtoList( $L_f$ , e, null)
09:   else
10:     return
11: buildInternalList(f, e, p, pointer to the tuple(e, null))

```

In the algorithm TwigSPFast, if *f* is the first node of SortNodeArray and there is not 2-tuple (*e*, null) in list L_f , add 2-tuple (*e*, null) to L_f (line 1-3); if *f* is not the first node of SortNodeArray (line 4), the list L_a of closet common ancestor of *f* and previous query node of *f* in SortNodeArray that has contained the 2-tuple(*element* e_2 , *pointers*) and the tuple and its ancestors match the path query P_f correspond to *e* (lines 5-6), if there is no tuple(*e*, null), then add tuple (*e*, null) to L_f (lines 7-8).

```

Algorithm buildInternalList(f, e, p, tuple_f(e, pointers))
/* let s be a set of element b that is an ancestor of e such that b can be match node p in the
path solution of e to path pattern  $P_f^*$  */
01: if (p != null)
02:   for each b  $\in s$ 
03:     if (tuple_p(b, pointers array_p)  $\in L_p \wedge P_p$  matches  $P_f$ )

```

04:	addPointer($L_p, tuple_p, pointer\ to\ tuple_f$)
05:	else
06:	addtoList($L_p, b, pointer\ to\ tuple_f$)
07:	buildInternalList($p, b, parent(p), tuple_new$)

In the algorithm buildInternalList, s is the set of element b that is an ancestor of e such that b can be match node p in the path solution of e to path pattern P_f ; for each element b in set s (line 2) if there is $tuple_p(b, pointers\ array_p)$, the tuple and its ancestors match the path query P_f correspond to e (line 3), then add a pointer that points to tuple_f to the pointer array of tuple_p; else add a new tuple($b, pointer\ to\ tuple_f$) to list L_p , after that, recursive call buildInternalList.

3.4 Analysis of Query Algorithm

3.4.1 Analysis of correctness

Theorem 1: Given a twig query Q and a XML document D , TwigSPFast can return all matching results in D correctly.

Proof: Suppose twig query Q is (A_1, A_2, \dots, A_n) rooted A_1 , $\{A_k, A_{k+1}, \dots, A_n \mid 1 \leq k \leq n\}$ are leaf nodes, $A_j (1 \leq j \leq n)$ is topBranchingNode. When (a_1, a_2, \dots, a_n) matches (A_1, A_2, \dots, A_n) $a_i (i=k, k+1, \dots, n)$ must be in T_{A_i} after filtering of T_f in lines 1-2 of TwigSPFast, then in lines 5-10, the algorithm gets next leaf query node f according to results of DBL sort and call buildList to build lists for all elements of T_f , so, $\{a_1, a_2, \dots, a_n\}$ is all in L_{A_i} according to the process of build list. At last, the algorithm call function outputSolutions to output query result (a_1, a_2, \dots, a_n) matching (A_1, A_2, \dots, A_n) . When algorithm TwigSPFast output (a_1, a_2, \dots, a_n) , it indicates $a_i (i=1, 2, \dots, n)$ is in the list L_{A_i} , we can know that a_j is must in the path from A_1 to A_j according to the process of build list. So, (a_1, a_2, \dots, a_n) matches (A_1, A_2, \dots, A_n) .

3.4.2 Analysis of time complexity

Theorem 2: Given a twig query Q and a XML document D , the temporal complexity in the worst case is $O(n_1 * d)$. n_1 is the sum of leaf nodes in T_f , n_2 is the sum of leaf nodes in T_f after filtering of locateMatchedLabel, d is the maximum between depth of Q and depth of D .

Proof: In algorithm TwigSPFast, lines 1-2 filter all leaf query nodes in T_f time complexity is $O(n_1 * d)$, lines 5-10 build list by calling buildList for all leaf query nodes in T_f , time complexity is $O(n_2 * d)$, $n_1 > n_2$, so, the time complexity of the whole algorithm is $O(n_1 * d)$.

Above all, we can know that the algorithm TwigSPFast is optimal in time complexity.

3.4.3 Analysis of space complexity

Theorem 3: Given a twig query Q and a XML document D , the temporal complexity in the worst case is $O(n_1 + n_2 * d)$. n_1 is the sum of leaf nodes in T_f , n_2 is the sum of leaf nodes in T_f after filtering of locateMatchedLabel, d is the depth of D .

Proof: In algorithm TwigSPFast, cost of space is mainly consist of stream and list. The space complexity of all leaf nodes of twig query Q in T_f is $O(n_1)$. Lines 5-10 build list by calling buildList for all leaf query nodes in T_f , the algorithm establish a new tuple for elements matched for every query node in the worst case, the space complexity of list is $O(n_2 * d)$. So, the space complexity of the whole algorithm is $O(n_1 + n_2 * d)$.

Above all, we can know that the algorithm TwigSPFast is optimal in space complexity.

4. Conclusions

In this paper we developed a 3-tuple($ATTR, PS, TM$) to represent spatiotemporal data in XML as a triangle, which can represent spatiotemporal attributes well without changing the tree structure of XML. Based on

this data model, an effective algorithm to match the desired twigs is proposed after extending Dewey code to mark spatiotemporal. The algorithm TwigSPFast reduces cost of time and space by sorting leaf query nodes and filtering leaf nodes that don't match query path in XML, so, algorithm TwigSPFast is optimal in time complexity and space complexity.

The next work we will do is to query fuzzy spatiotemporal XML data based on a good spatiotemporal XML data model and improve the efficiency of query algorithm.

Acknowledgments

The authors wish to thank the anonymous referees for their valuable comments and suggestions, which improved the technical content and the presentation of the paper. The work was supported by the National Natural Science Foundation of China (No. 61402087), the Natural Science Foundation of Hebei Province (No. F2015501049), the Scientific Research Fund of Hebei Education Department (No. QN2014339), and the Technology Support Project of NEU (No. XNK 2015003).

References

- [1] Deng, S. S., Xia, L. H., & Wang, F. (2009). Analysis of spatio-temporal characteristics of urban land cover and its landscape pattern: a case study in NanHai district of Foshan city. *Proceedings of IEEE* (pp. 1-9).
- [2] Pfoser, D., & Tryfona, N. (1998). Requirements, definitions, and notations for spatiotemporal application environments. *Proceedings of the 6th ACM International Symposium on Advances in Geographic Information System* (pp. 124-130).
- [3] Ferreira, N., Poco, J., Vo, H. T., et al. (2013). Visual exploration of big spatio-temporal urban data: A study of New York city taxi trips. *IEEE Transactions on Visualization and Computer Graphics*, 19(12), 2149-2158.
- [4] Balbiani, P., & Condotta, J. F. (2002). Spatial reasoning about points in a multidimensional setting. *Applied Intelligence*, 17(3), 221-238.
- [5] Hu, L., Ku, W. S., Bakiras, S., et al. (2013). Spatial query integrity with voronoi neighbors. *IEEE Transactions on Knowledge and Data Engineering*, 25(4), 863-876.
- [6] Claramunt, C., Parent, C., Spaccapietra, S., et al. (1999). Database modelling for environmental and land use changes. *Proceedings of Geographical Information and Planning Springer Berlin Heidelberg* (pp. 181-202).
- [7] Obeid, N. (2005). A formalism for representing and reasoning with temporal information, event and change. *Applied Intelligence*, 23(2), 109-119.
- [8] Langran, G., & Chrisman, N. (1988). A framework for temporal geographic information. *Cartographica*, 40(1), 1-14.
- [9] Pelekis, N., Theodoulidis, B., Kopanakis, I., et al. (2004). Literature review of spatio-temporal database models. *Knowledge Engineering Review*, 19(3), 235-274.
- [10] Sözer, A., Yazici, A., OğuztüzÜn, H., et al. (2008). Modeling and querying fuzzy spatiotemporal databases. *Information Sciences*, 178(19), 3665-3682.
- [11] Bai, L. Y., Yan, L. & Ma, Z. M. (2013). Determining topological relationship of fuzzy spatiotemporal data integrated with XML twig pattern. *Applied Intelligence*, 39(1), 75-100.
- [12] Theodoridis, Y., Papadias, D., Stefanakis, E., et al. (1998). Direction relations and two-dimensional range queries: Optimisation techniques. *Data & Knowledge Engineering*, 27(97), 313-336.
- [13] Emrich, T., Kriegel, H. P., Mamoulis, N., et al. (2012). Indexing uncertain spatio-temporal data. *Proceedings of the 21st ACM International Conference on Information and Knowledge Management* (pp. 395-404).

- [14] Bruno, N., Koudas, N., & Srivastava, D. (2002). Holistic twig joins: Optimal XML pattern matching. *Proceedings of the 2002 ACM SIGMOD International Conference on Management of Data* (pp. 310-321).
- [15] Liu, G., Yao, M., Wang, D., et al. (2011). A novel three-phase XML twig pattern matching algorithm based on version tree. *Proceedings of Eighth International Conference* (pp. 1678-1688).
- [16] Liu, J., Ma, Z. M., & Yan, L. (2013). Querying and ranking incomplete twigs in probabilistic XML. *World Wide Web*, 16(3), 325-353.
- [17] Liu, J., Ma, Z. M., & Qv, Q. L. (2014). Dynamic querying possibilistic XML data. *Information Sciences*, 261(4), 70-88.
- [18] Liu, J., Ma, Z. M., & Ma, R. (2013). Efficient processing of twig query with compound predicates in fuzzy XML. *Fuzzy Sets and Systems*, 229(2), 33-53.
- [19] Nørnvåg, K. (2002). Temporal query operators in XML database. *Proceedings of the 2002 ACM Symposium on Applied Computing* (pp. 402-406).
- [20] Rizzolo, F., & Vaisman, A. A. (2008). Temporal XML: Modeling, indexing, and query processing. *Very Large Data Bases*, 17(5), 1179-1212.
- [21] Bai, L. Y., Yan, L. & Ma, Z. M. (2014). Querying fuzzy spatiotemporal data using XQuery. *Integrated Computer-Aided Engineering*, 21(2), 147-162.
- [22] Chen, S., Li, H. G., Tatemura, J., et al. (2006). Twig2Stack: bottom-up processing of generalized-tree pattern queries over XML documents. *Proceedings of the 32nd International Conference on Very Large Data Bases* (pp. 283-294).
- [23] Liu, J., Ma, Z. M., & Yan, L. (2013). Efficient labeling scheme for dynamic XML trees. *Information Sciences*, 221(2), 338-354.



Luyi Bai received his PhD degree from Northeastern University, China. He is currently an associate professor at Northeastern University at Qinhuangdao, China. His current research interests include uncertain databases and fuzzy spatiotemporal XML data management. He has published papers in several Journals such as *Integrated Computer-Aided Engineering*, *Applied Intelligence*, *Applied Artificial Intelligence*, and *The International Arab Journal of Information Technology*. He is also a member of CCF.



Yin Li was born in 1990. Since 2014, he has been a master of science candidate in computer technology from the Northeastern University, China. His current research interests include fuzzy spatiotemporal XML data management.



Jiemin Liu received his PhD degree from Northeastern University, China. He is currently a professor and a dean at Northeastern University at Qinhuangdao, China. His current research interests include next generation network and information management system. He has published several papers and academic monographs. He is also a vice chairman of ACM China Council at Qinhuangdao and a chairman of CCF at Qinhuangdao.